A scientific poster entirely written in org-mode using GNU emacs and the beamer library

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Background

- Org-mode is not only useful for producing blog posts and even scientific manuscripts; it is also perfectly suitable to make decent looking scientific posters
- We combine a relatively simple custom *ATFX*style file and common org-mode syntax

Graphics

- Of course we can also include graphics
- Here, we use shell scripting to grab an image with curl from the internet (Fig. 2):
 - 1 curl -0 https://www.gnu.org/software/emacs/images/emacs.png

• The nice thing about org-mode is that we can populate the poster with code, graphs and numbers from inline code in languages such as R, python, Matlab and even shell scripting Inline code would look like this, which will produce a graph (Fig. 1):

```
_{1} x < - rnorm(100, 0, 1)
2 hist(x, col="gray")
```





Math

• We can easily include math:

The Kullback-Leibler (KL) divergence measures the difference between two probability distributions (i.e., the loss of information when one distribution is used to approximate another). The KL divergence is thus defined as

$$\mathcal{D}_{\mathrm{KL}}(P \| Q) = \sum_{i=1}^{n} P(i) \log \frac{P(i)}{Q(i)}$$

Figure 1: This is the output.

Inline code and tables

- In addition to inline code, we can also produce tables
- Tables are very powerful in org-mode, they even include spreadsheet capabilities
- Some code to process the vector from above to make a table out of its summary could look like this, which would result in a little table (Table 1) :

m <- round(mean(x), 2) $_{2} s <- round(sd(x), 2)$ 3 data.frame(Mean=m, SD=s)

> Mean SD 0.07 0.98

 $\mathbf{Y}(\mathbf{r})$ i=1with P and Q being two probability distribution functions and *n* the number of sample points. Since $D_{\mathrm{KL}}(P \| Q)$ is not equal to $D_{\mathrm{KL}}(Q \| P)$, a symmetric variation of the KL divergence can be derived as follows:

$$D_{\rm KL}(P,Q) = \sum_{i=1}^{n} \left(P(i) \log \frac{P(i)}{Q(i)} + Q(i) \log \frac{Q(i)}{P(i)} \right). \quad (2)$$

Columns



Figure 3: This is the left figure of a two-column block

Figure 4: This is the right figure.

(1)

Conclusions

- This little example is meant to show how incredibly versatile org-mode is
- One can now produce scientific posters with a simple text editor

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